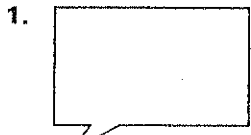
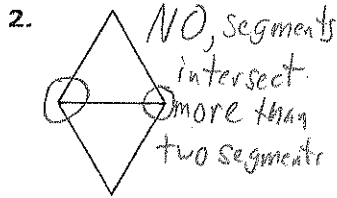


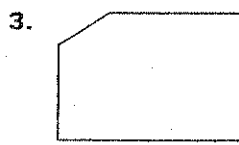
Tell whether the figure is a polygon. If it is not, explain why. If it is a polygon, tell whether it is *convex* or *concave*.



yes, concave

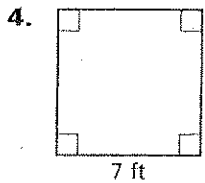


NO, segments intersect more than two segments

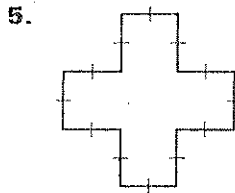


yes, convex

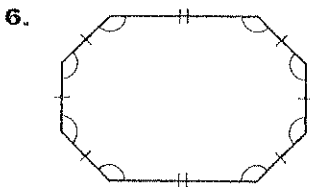
Classify the polygon by the number of sides. Tell whether the polygon is *equilateral*, *equiangular*, or *regular*. Explain your reasoning.



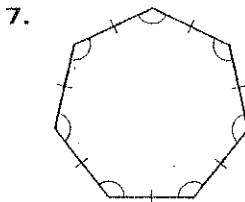
Quadrilateral regular



Dodecagon, equilateral



Octagon equiangular



Heptagon regular

8. The lengths (in meters) of two sides of a regular heptagon are represented by the expressions $11x - 32$ and $6x - 7$. Find the length of a side of the heptagon.

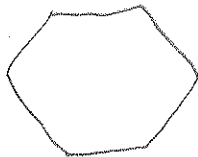
23m

9. The expressions $-3x + 67$ and $7x - 18$ represent the lengths (in inches) of two sides of a regular nonagon. Find the length of a side of the nonagon.

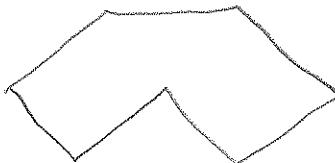
41.5 in

Draw a figure that fits the description.

11. A convex hexagon



12. A concave heptagon



Tell whether the statement is *always*, *sometimes*, or *never* true.

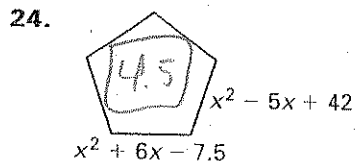
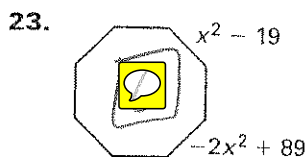
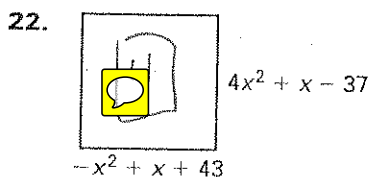
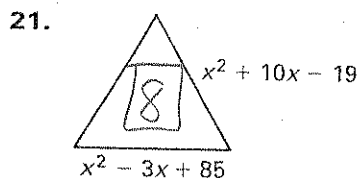
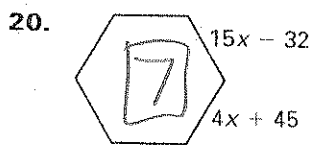
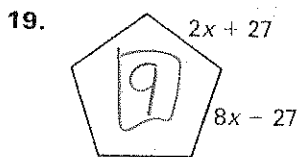
15. A regular pentagon is concave. *Never*

16. A square is a regular polygon. *Always*

17. A dodecagon is convex. *Sometimes*

18. A triangle is equilateral but not equiangular. *Never*

Each figure is a regular polygon. Expressions are given for two side lengths. Find the value of x .



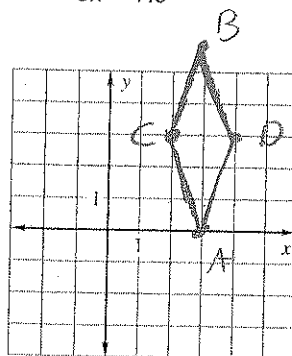
25. The vertices of a figure are given below. Plot and connect the points so that they form a convex polygon. Classify the figure. Then show that the figure is equilateral using algebra.

$A(3,0)$ $B(3,6)$ $C(2,3)$ $D(4,3)$

quadrilateral

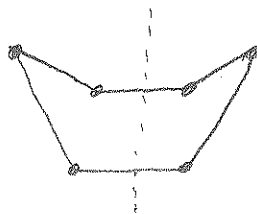
$AC = \sqrt{10}$ $BD = \sqrt{10}$

$CB = \sqrt{10}$ $DA = \sqrt{10}$

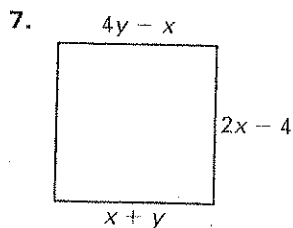


In Exercises 1-4, draw a figure with the indicated condition.

1. A hexagon with exactly one line of symmetry



In Exercises 7-9, the figure shown is a regular polygon. Find the values of x and y .



$4y - x = x + y$ $x + y = 2x - 4$
 $0 = 2x - 3y$ $4 = x - y$

$\begin{cases} 2x - 3y = 0 \\ x - y = 4 \end{cases} \cdot 2$

$2x - 3y = 0$

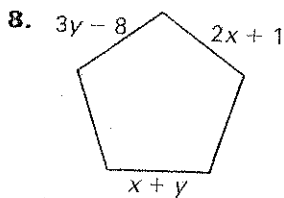
$-2x + 2y = -8$

$-y = -8$

$y = 8$

$x - 8 = 4$

$x = 12$



$3y - 8 = x + y$ $2x + 1 = x + y$
 $-8 = x - 2y$ $x - y = -1$

$\begin{cases} x - 2y = -8 \\ x - y = -1 \end{cases} \cdot 2$

$x - 2y = -8$

$-2x + 2y = 2$

$-x = -6$
 $x = 6$

$6 - y = -1$

$y = 7$